

Analysis of the temperate tree growth response to climate change through a modelling approach

Characterization of prediction uncertainties

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Methods to evaluate climate change impact on forests

- Long-term monitoring of forest ecosystems
- Observational studies of species distribution according to climate
- Environment modification experiments
- Process-based modelling



Methods to evaluate climate change impact on forests

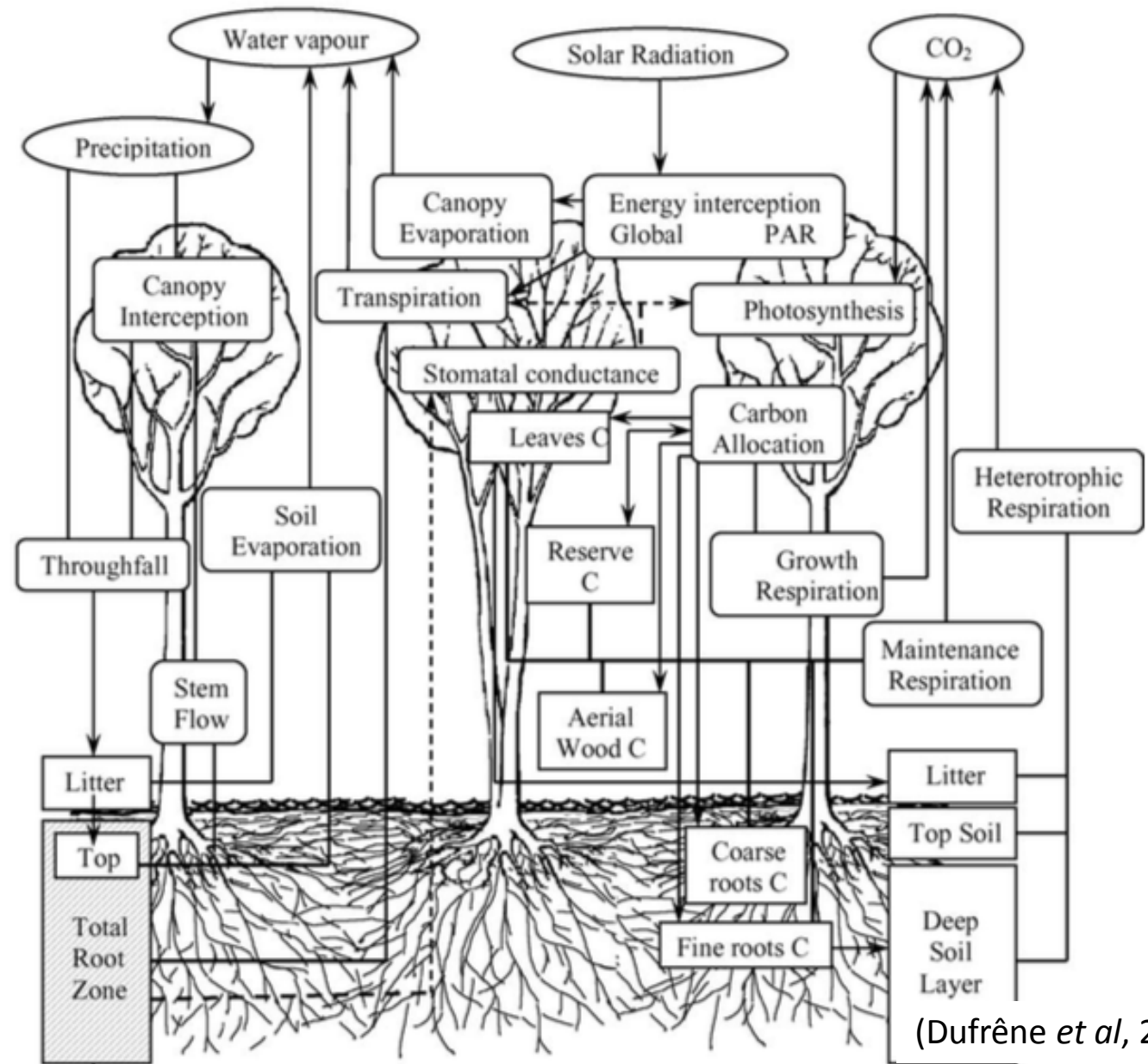
- Long-term monitoring of forest ecosystems
- Observational studies of species distribution according to climate
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EVALUATION

KNOWLEDGE
INTEGRATION

How to model the climate change impact on forests?

Complex **process-based** models
at the **stand** scale



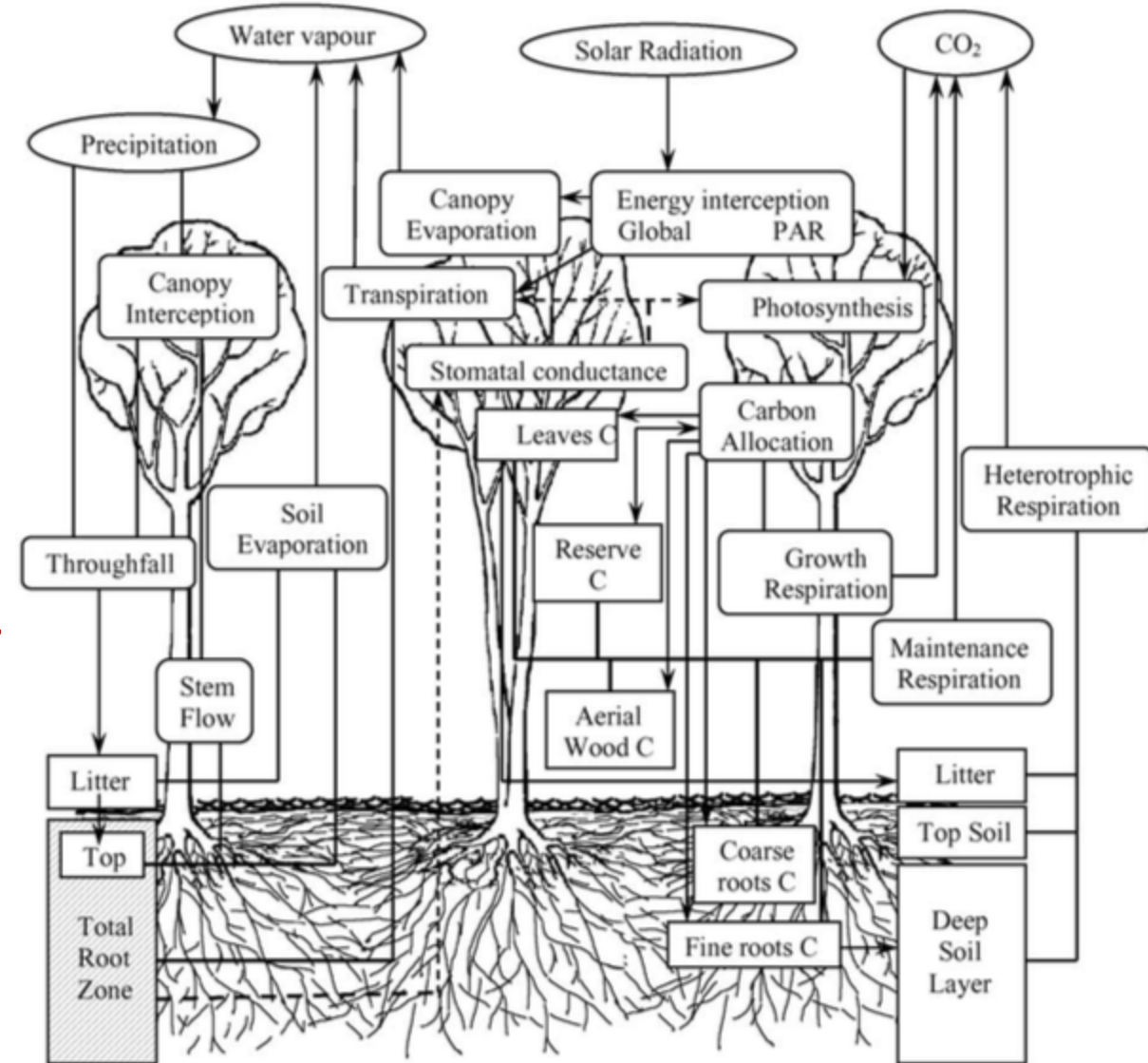
Current approach limitations

Complex **process-based** models

→ Hard to **calibrate** (uncertainties)
and to **validate**

at the **stand** scale

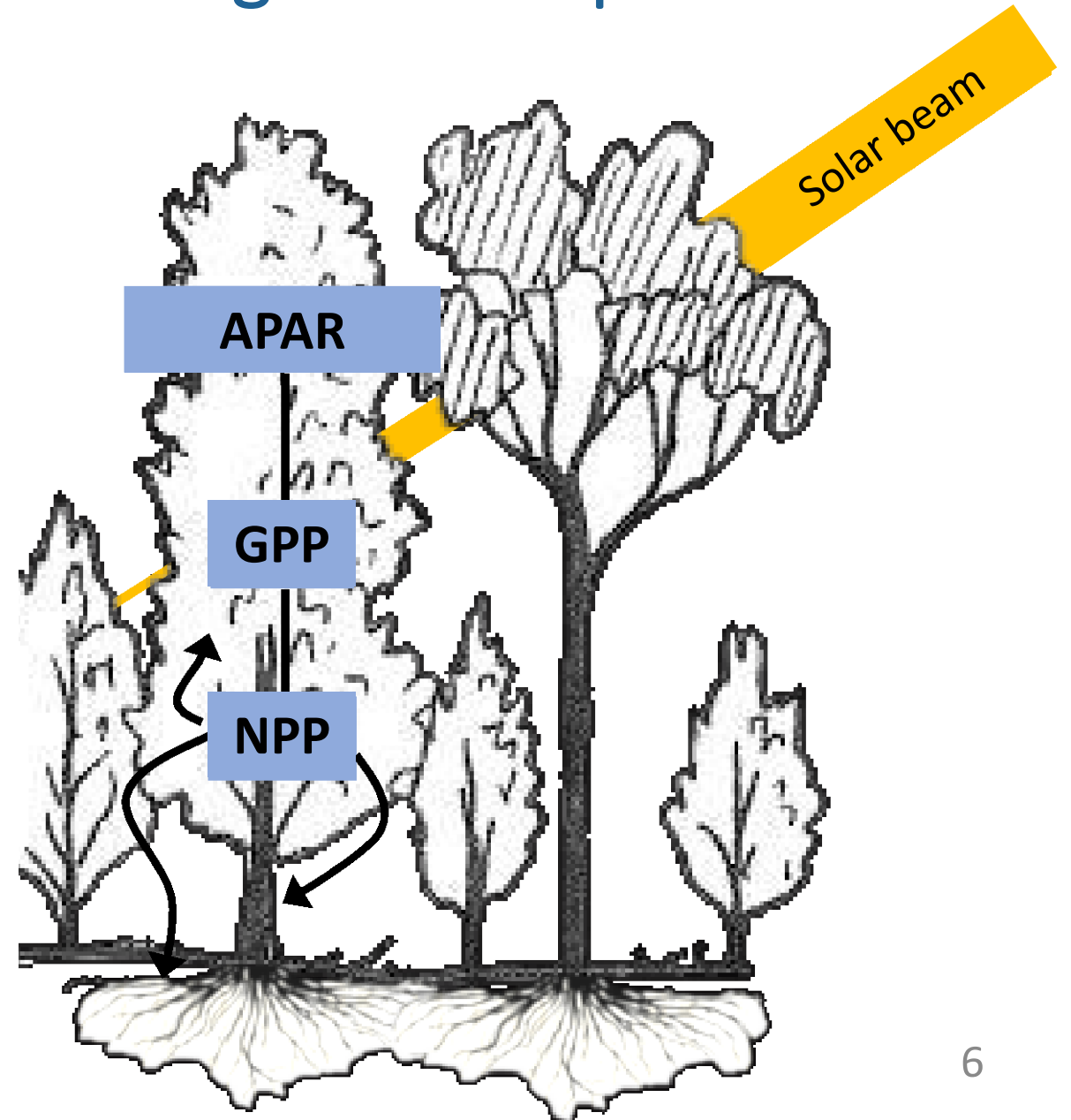
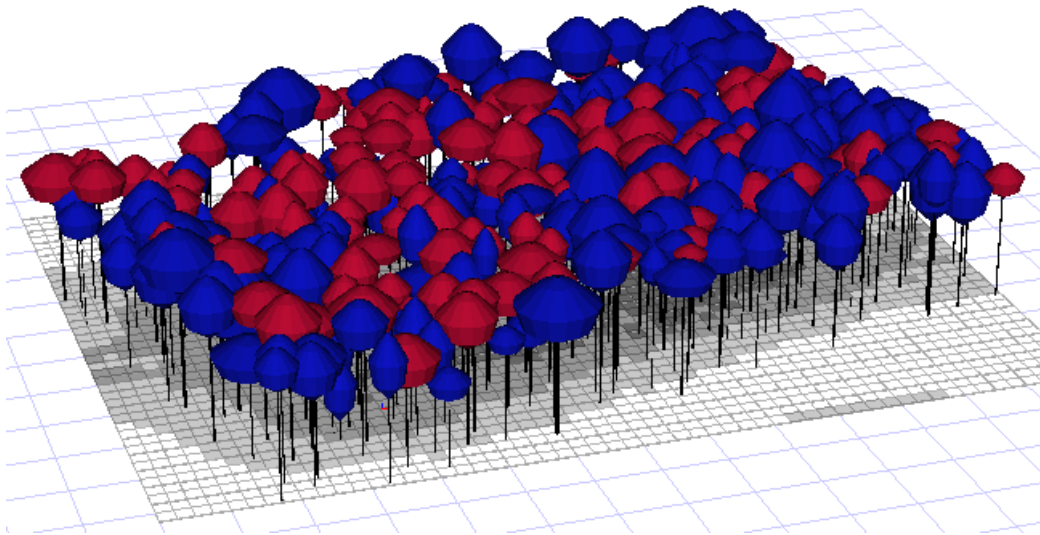
→ **Management** poorly or not accounted for
→ Unadapted to **irregular and mixed stands**
→ Hard to **compare** with retrospective
individual measurements



Toward a better inclusion of the management impact

Hybrid (observation and process-based),
spatially explicit model at the **tree level**

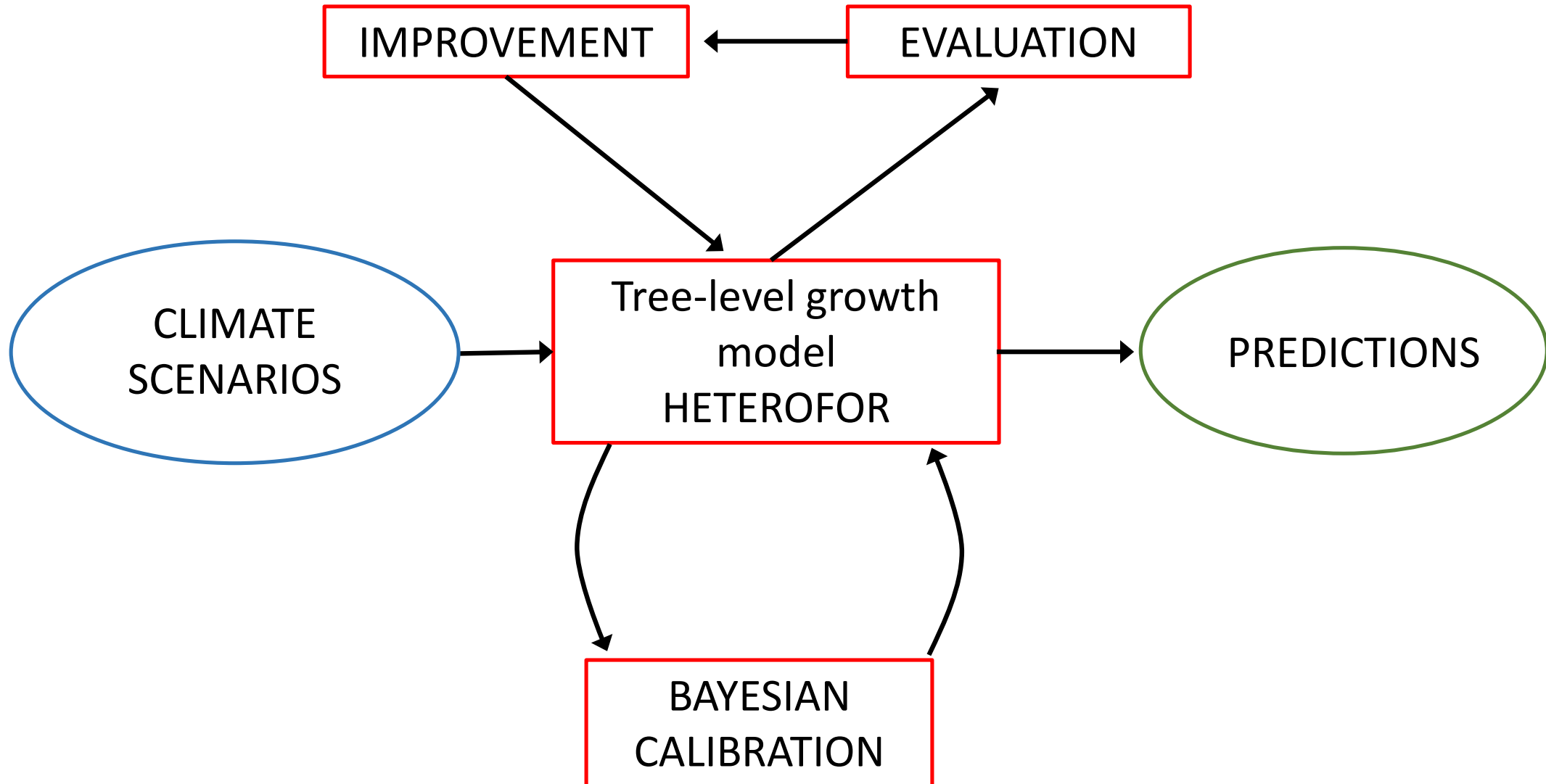
→ **Climate sensitivity** unsatisfyingly
considered



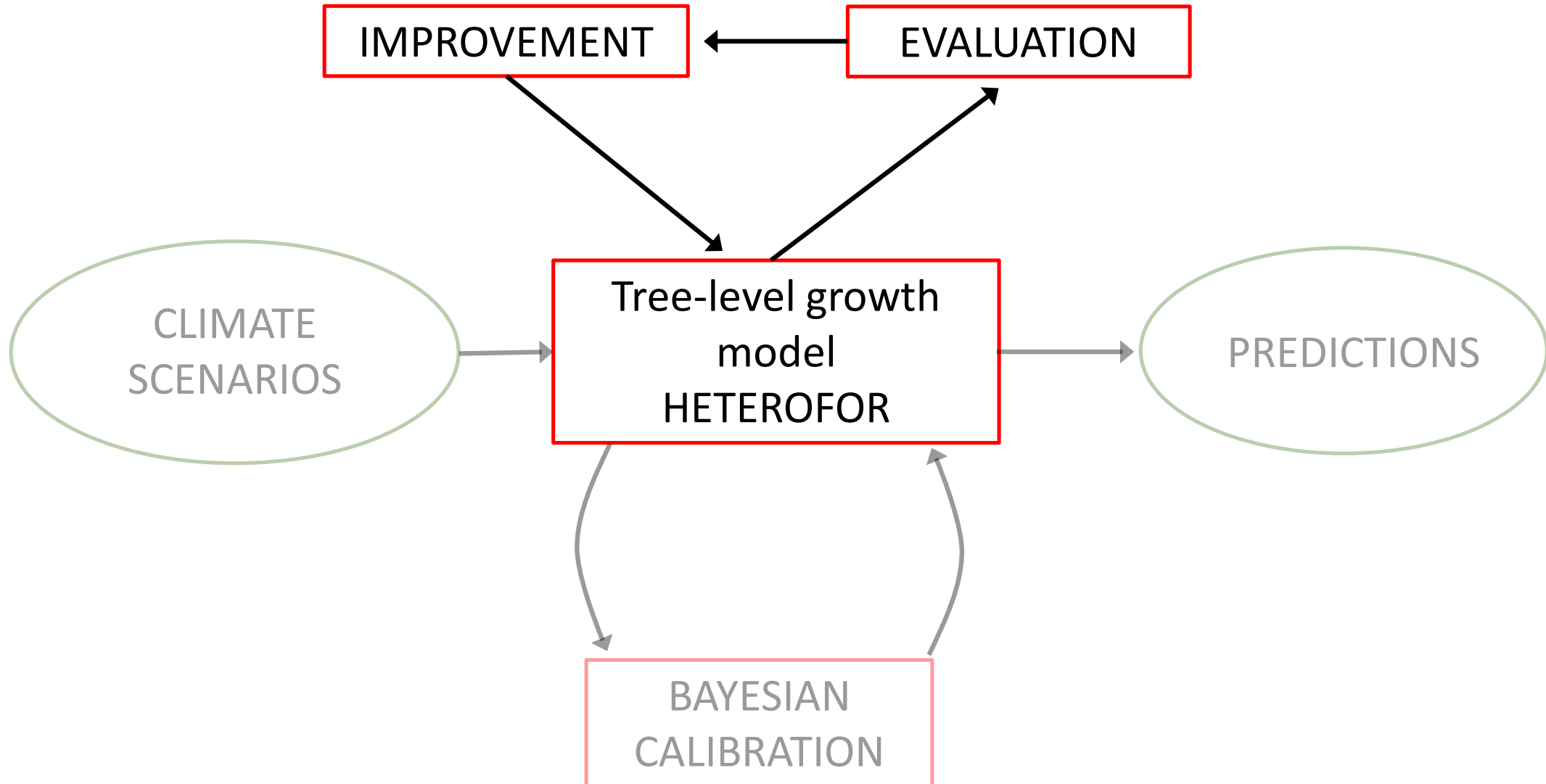
Research objectives

- **Simulate tree growth dynamics** according to different climate scenarios and forestry practices in different areas (Wallonia, France, Europe)
- **Develop a methodology** to evaluate climate change impact while **characterizing the uncertainties**
 - **Better understanding** of the temperate tree growth response to climate change

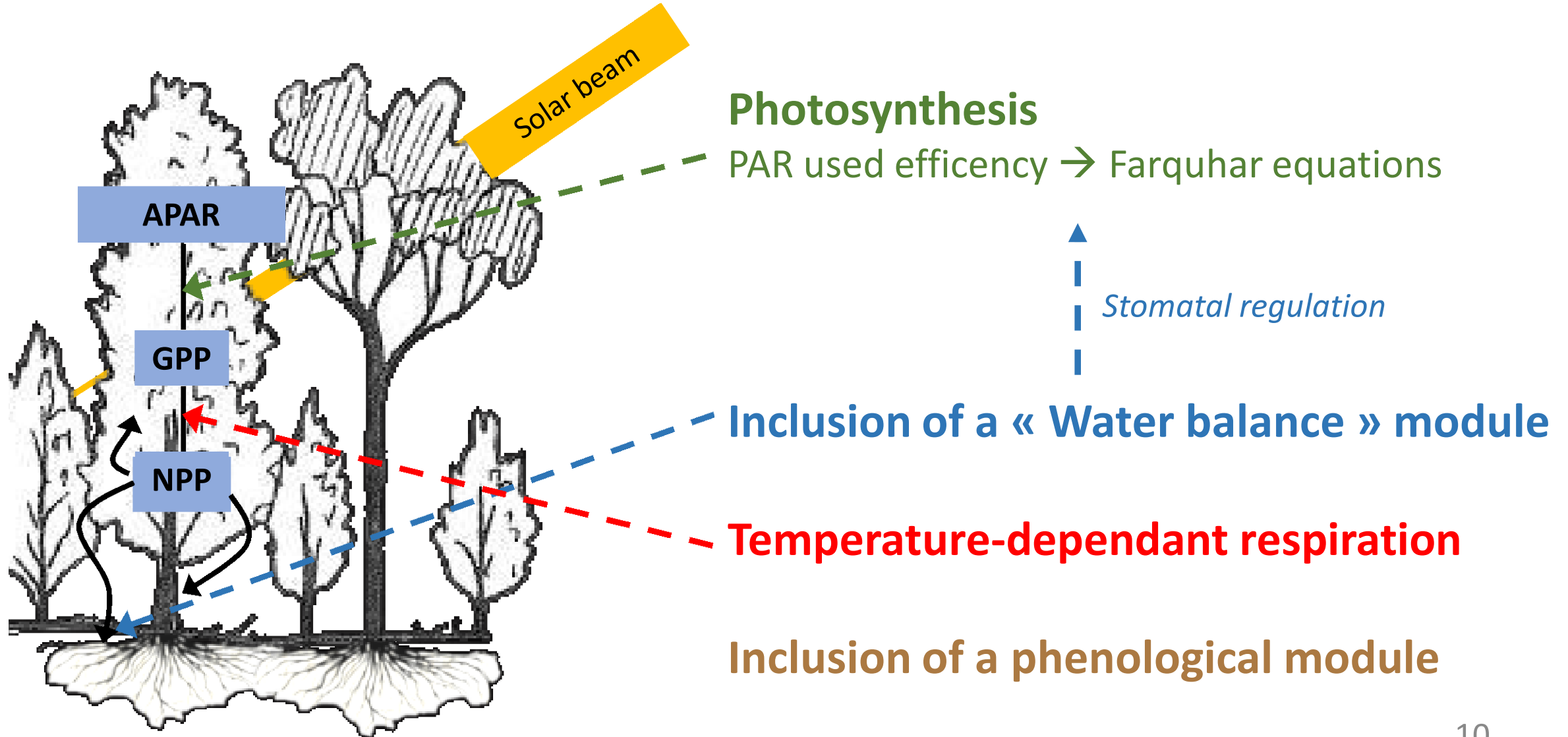
Research project description



1st step – Inclusion of climate sensitivity in HETEROFOR and evaluation



1st step – Inclusion of climate sensitivity in HETEROFOR and evaluation

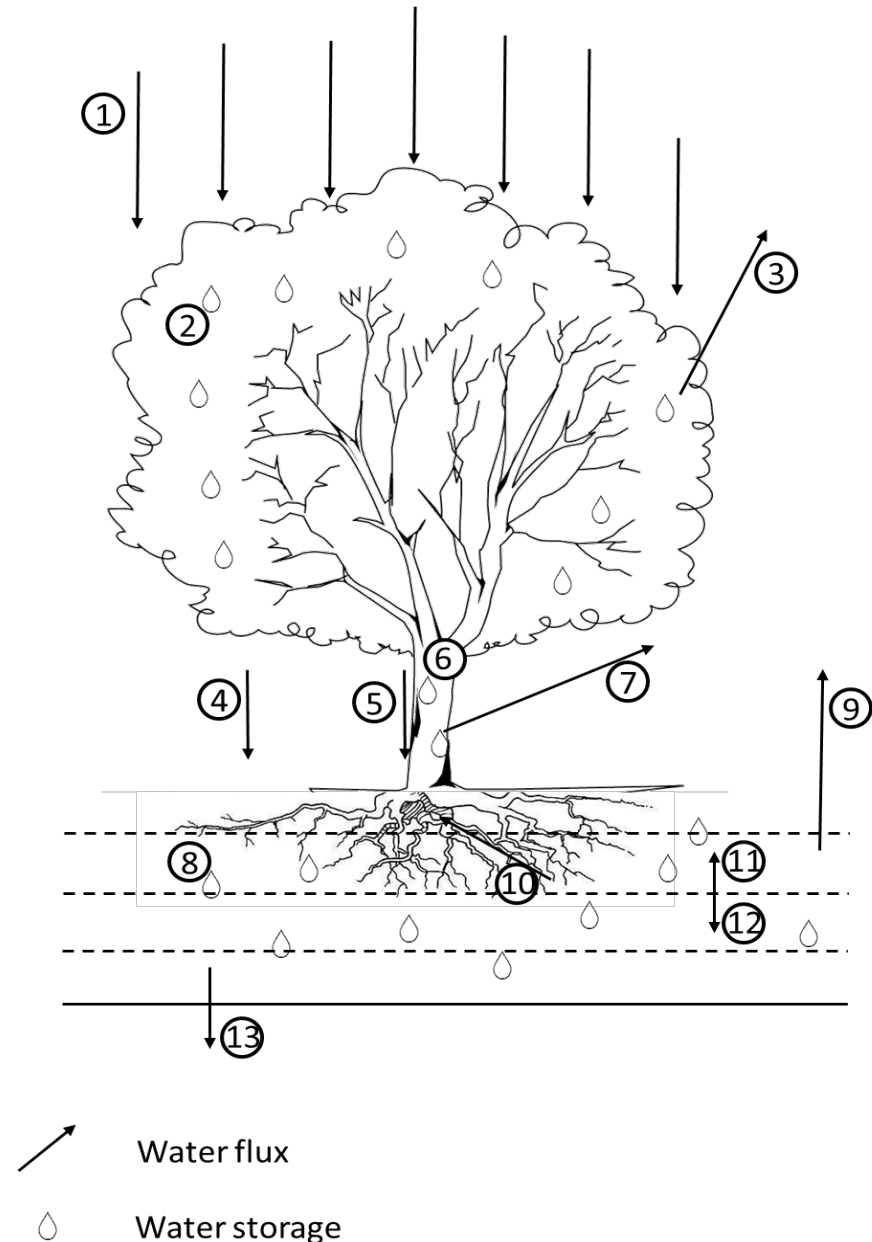


Photosynthesis module development

Use of Castanea photosynthesis module developed on CAPSIS platform by Dufrene, Davi, François, Le Maire, Le Dantec *et al* during a first time.

→ (Cfr. Dufrene *et al*, 2005 for more informations)

Water balance module development



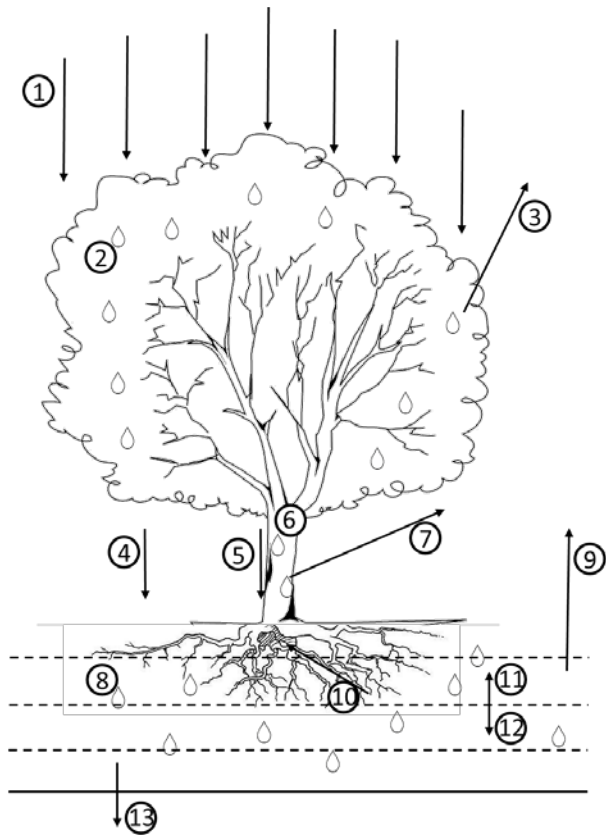
- ① Rainfall
- ② Foliage water content
- ③ Evaporation of water stored on leaves
- ④ Throughfall
- ⑤ Stemflow
- ⑥ Bark water content
- ⑦ Evaporation of water stored on the bark
- ⑧ Horizon water content
- ⑨ Evaporation of soil stored water (only 1st horizon)
- ⑩ Transpiration (only if roots present)
- ⑪ Capillary Rise
- ⑫ Drainage - Surplus
- ⑬ Deep percolation (only last horizon)

Water balance module development

$$C_{foliage} = \sum_{sp} \left[Area_{leaf_sp} \cdot \left(c_{foliage_sp_min} + \left(1 - \frac{WS}{WS_{max}} \right) \cdot (c_{foliage_sp_max} - c_{foliage_sp_min}) \right) \right]$$

or

$$C_{foliage} = \sum_{sp} (Area_{leaf_sp} \cdot c_{leaf_sp})$$



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↗ Water flux

💧 Water storage

Water balance module development

Variables calculated using empirical equation from André *et al* (2008):

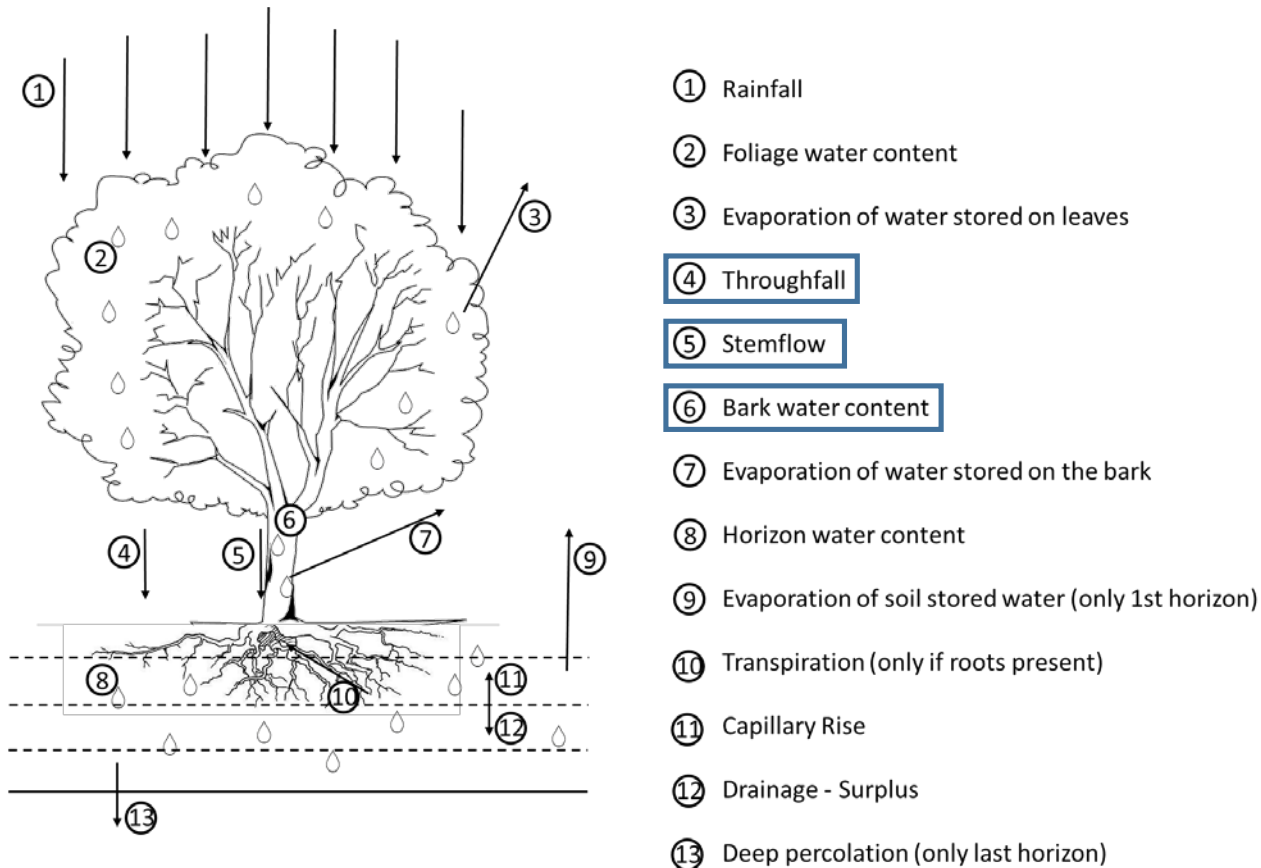
$$stemflow = a + b \cdot C130 + c \cdot Rain + d \cdot C130 \cdot Rain$$

giving

$$C_{bark} = (a + b \cdot C130)$$

$$\%stemflow = \frac{(c + d \cdot C130) \cdot Rain}{Area_{stand} \cdot Rain}$$

$$\%throughfall = 1 - \%stemflow$$



Water flux

Water storage

Water balance module development

Evapotranspiration calculated via Penman-Monteith equation (1965):

$$\lambda \cdot ET = \frac{\Delta R + \frac{\rho \cdot c_p \cdot VPD}{r_a}}{\Delta + \gamma \left(\frac{r_a + r_s}{r_s} \right)}$$

- Foliage evaporation (eddy-covariance approach):

$$r_a = \frac{1}{g_a} = \left(0.006 \cdot \sqrt{\frac{WS}{l}} \right)^{-1}$$

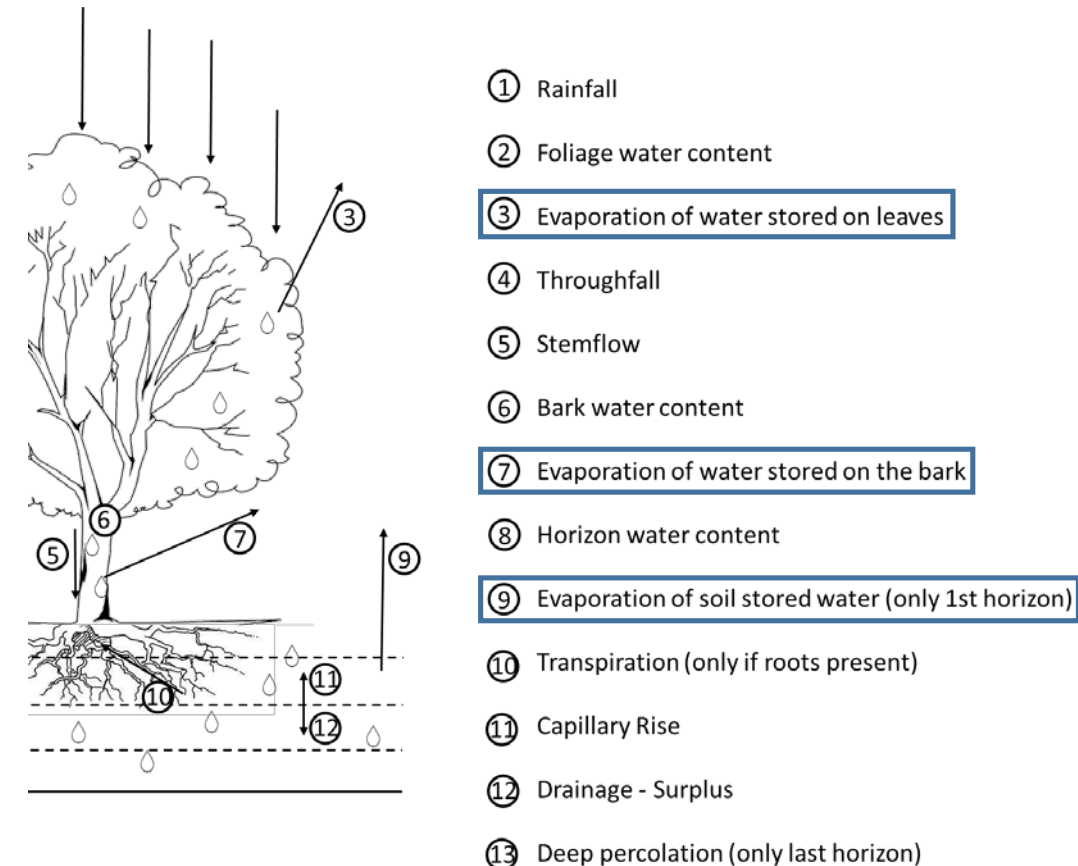
$$r_s = 0$$

- Bark evaporation:

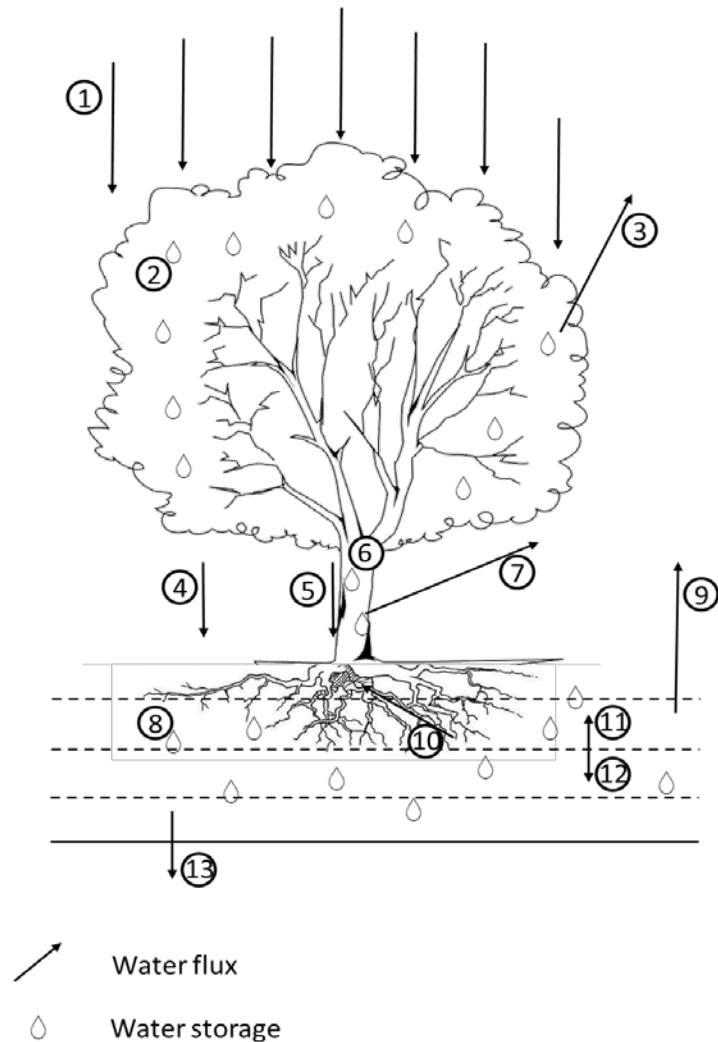
$$r_s = \frac{1}{g_{s_bark}} = \left(g_{s_bark_min} + (g_{s_bark_max} - g_{s_bark_min}) \cdot \frac{prevS_{bark}}{C_{bark}} \right)^{-1}$$

- Soil (first horizon) evaporation:

$$r_s = \frac{1}{g_{s_soil}} = \left(g_{s_soil_min} + (g_{s_soil_max} - g_{s_soil_min}) \cdot prevREW_{forest_floor} \right)^{-1}$$

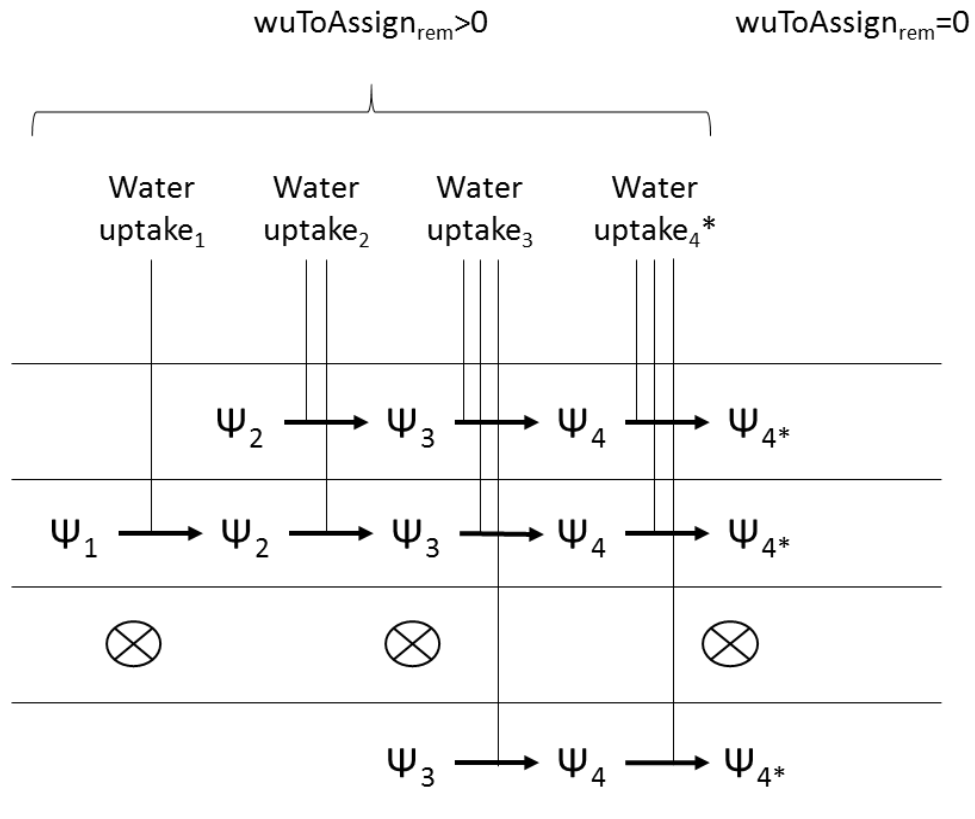


Water balance module development



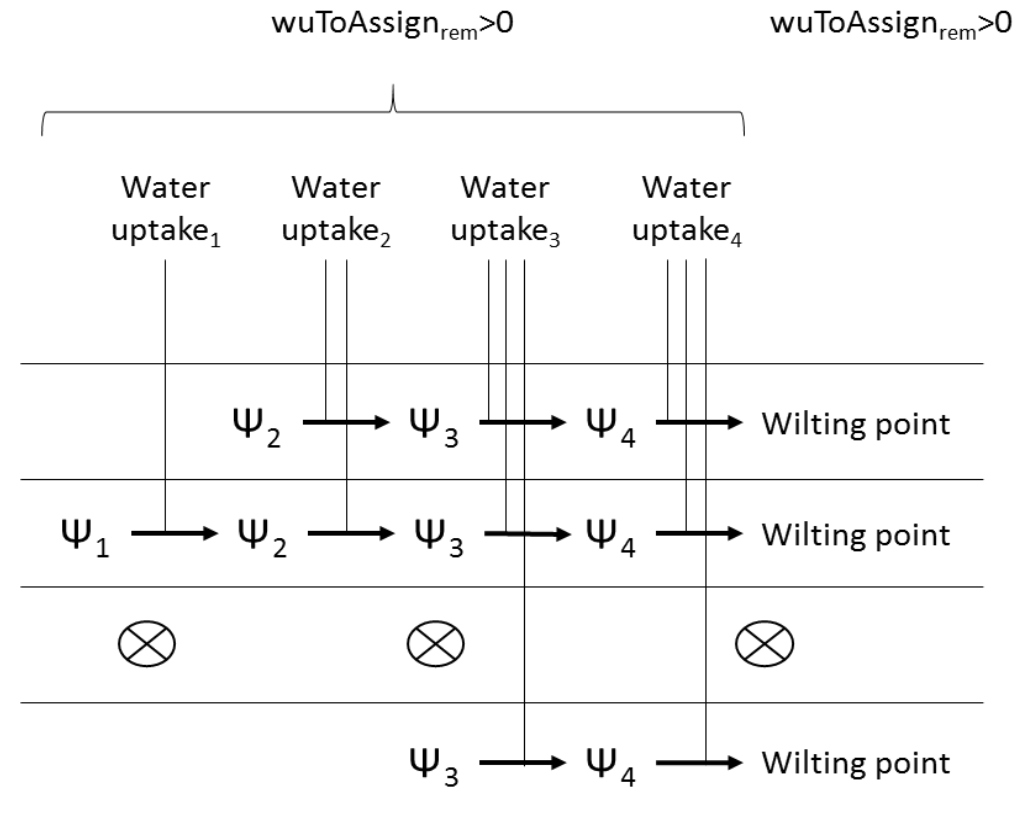
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Water balance module development



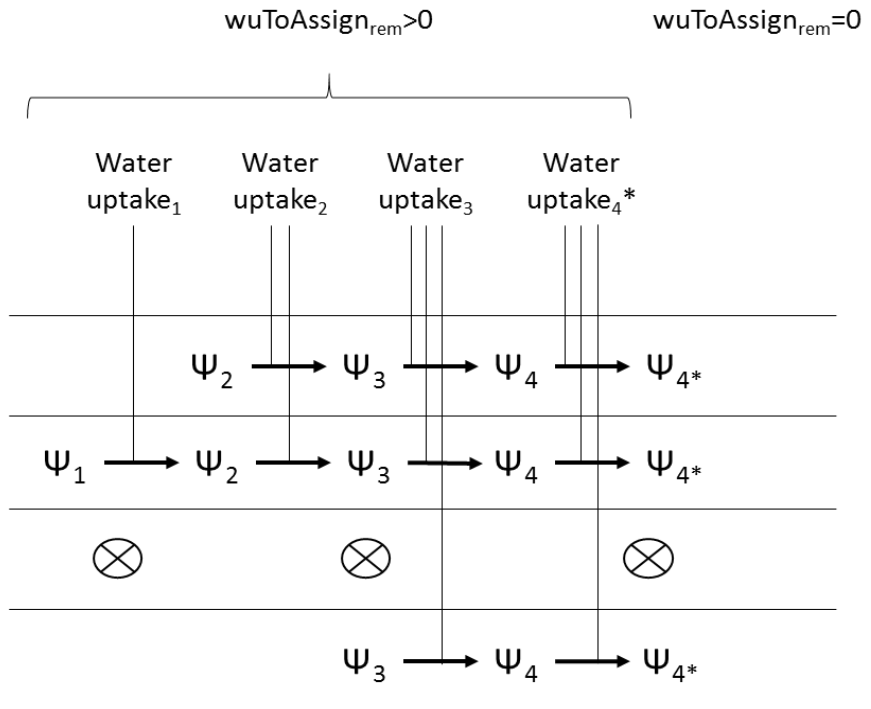
Water uptake₄* = $wuProportion_{next_sum_4}$ · water uptake₄

⊗ no root



⊗ no root

Water balance module development



$Water\ uptake_4^* = wuProportion_{next_sum_4} \cdot water\ uptake_4$

⊗ no root

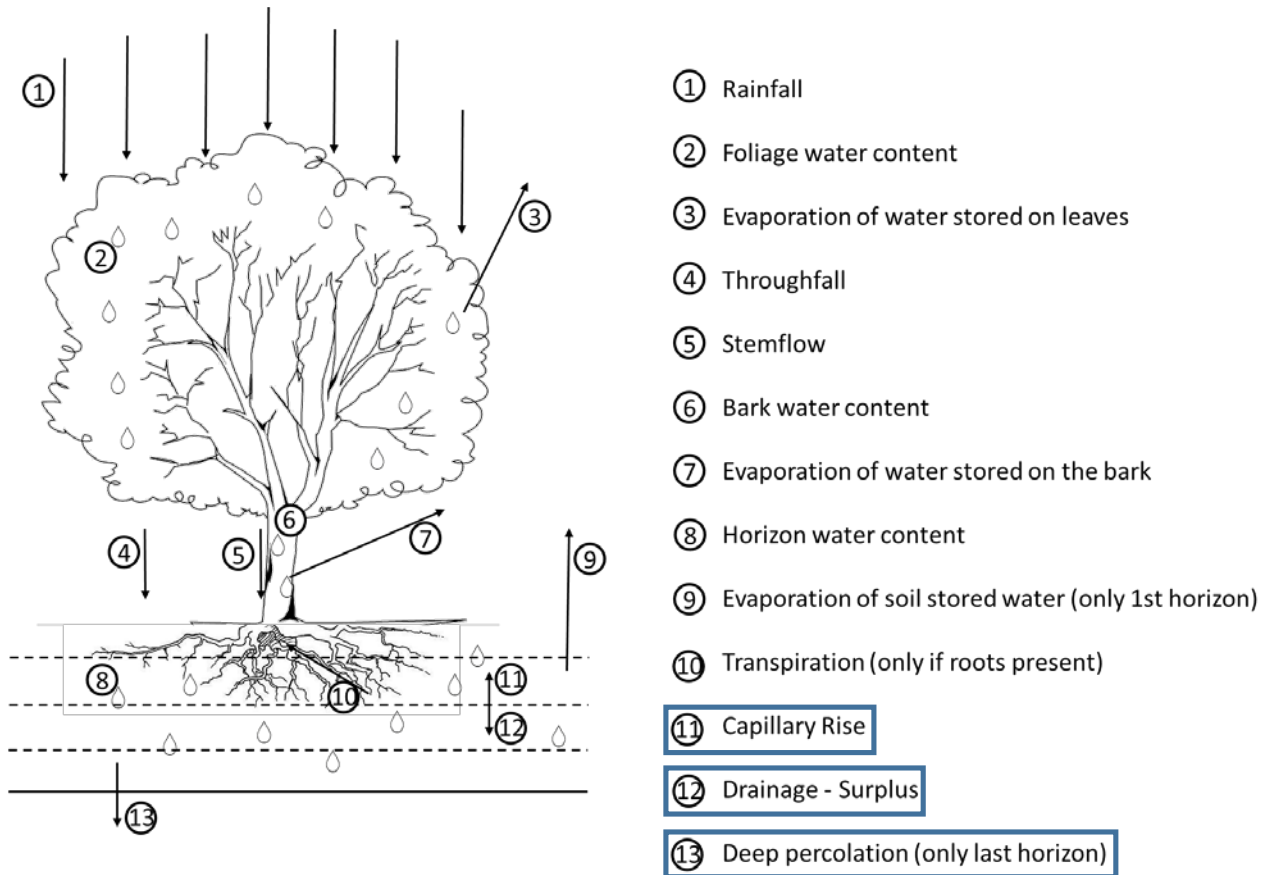
The matric potential Ψ is calculated from pressure head h determined, in turn, by van Genuchten equation (1980):

$$S = \frac{\theta - \theta_r}{\theta_s - \theta_r}$$

$$S = [1 + (\alpha|h|)^n]^{\frac{1-n}{n}}$$

Parameter values come from Vereecken pedotransfer functions (Weynants *et al*, 2009), which require information about organic, clay and sand contents and bulk density

Water balance module development



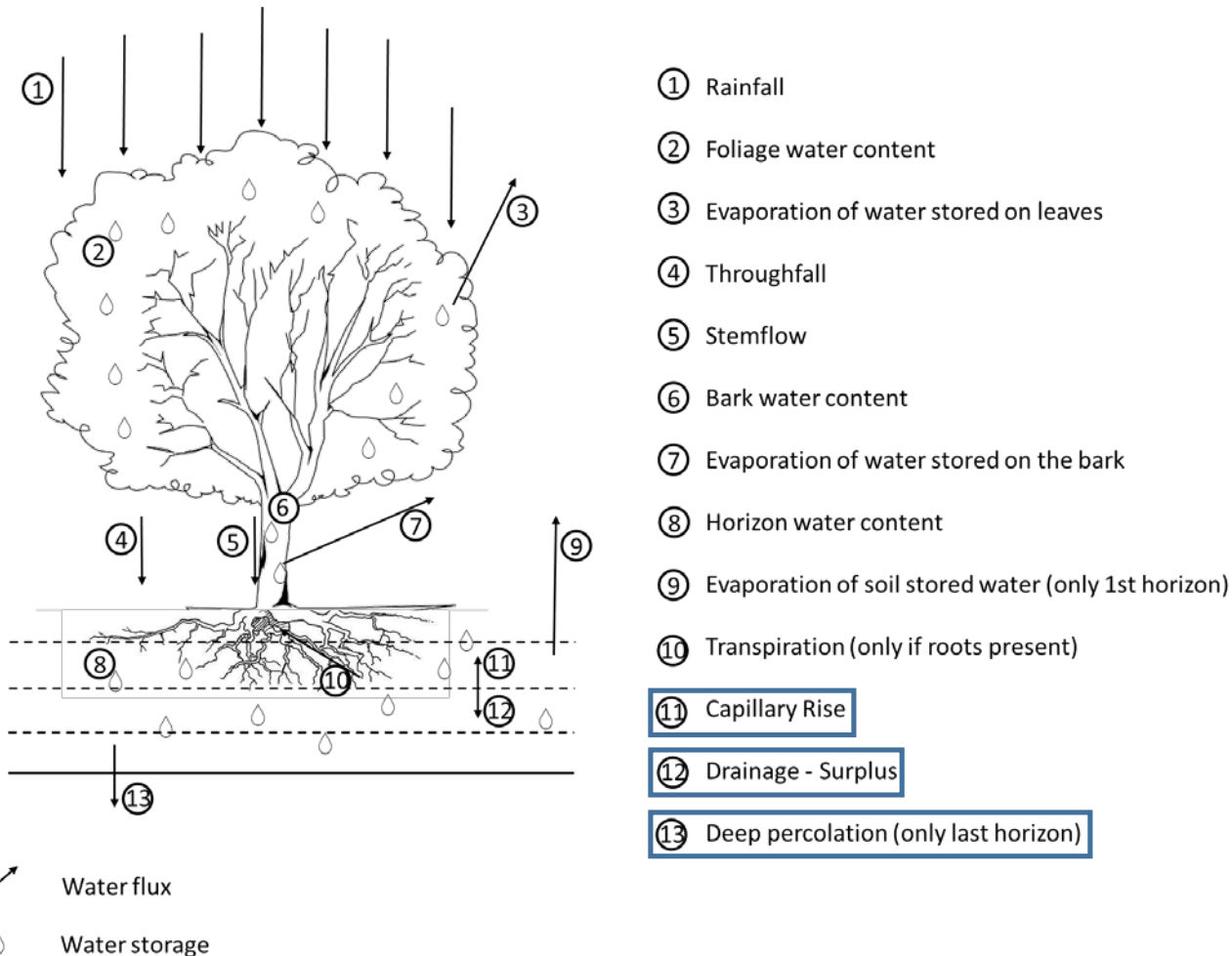
Vertical movements through horizons are regulated by soil conductivity, gravity and water potential gradient. Conductivity is obtained with Mualem - van Genuchten model equation (1980):

$$K = K_0 \left(S^\lambda \left\{ 1 - \left(1 - S^{n/n-1} \right)^{1 - \frac{1}{n}} \right\}^2 \right)$$

For organic horizons, parameter values from Dettmann *et al.* (2014) are used. They emanate from peat soil observations.

For mineral horizons, pedotransfer equations elaborated by Weynants *et al.* (2009) are used.

Water balance module development



Surplus is currently calculated according to the assumption that once the horizon is saturated, excedent water is transferred to the next horizon. Some improvements are planned.

Drainage and capillary rise both follow the same equations:

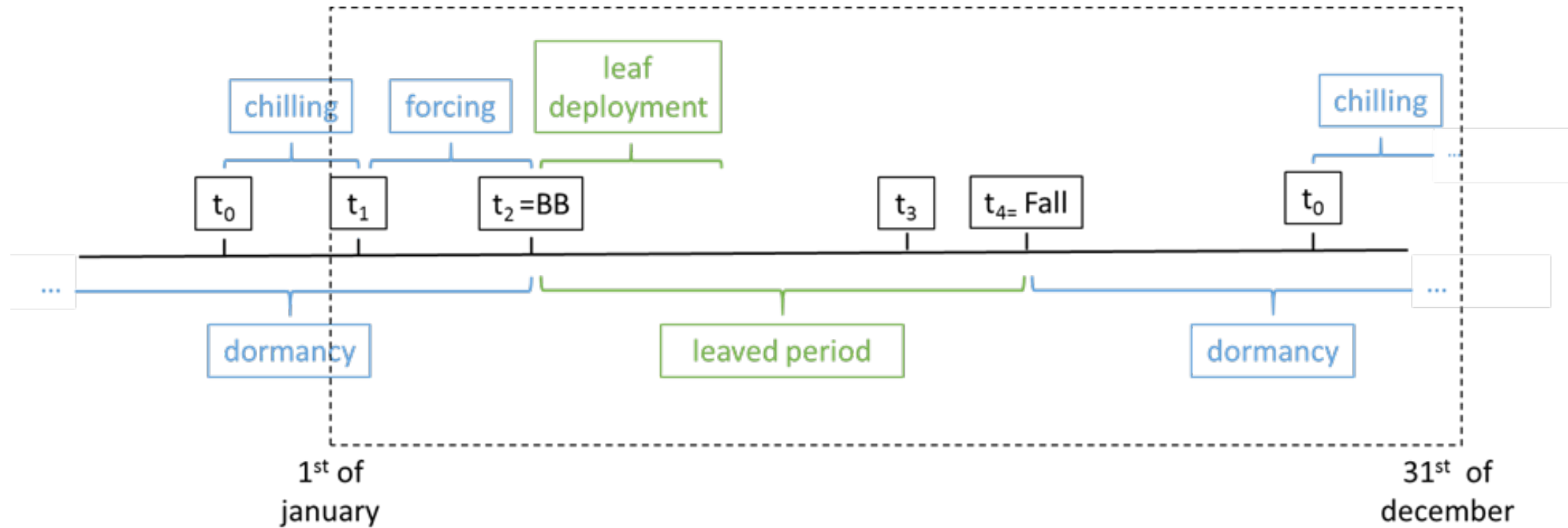
$$D = \frac{K_{hr,hr+1}}{24} \cdot \left(\frac{\delta h_m}{\delta z} + 1 \right) \cdot A_{stand} \cdot 10$$

$$K_{hr,hr+1} = \frac{(K_{hr} \cdot e_{hr} + K_{hr+1} \cdot e_{hr+1})}{(e_{hr} + e_{hr+1})}$$

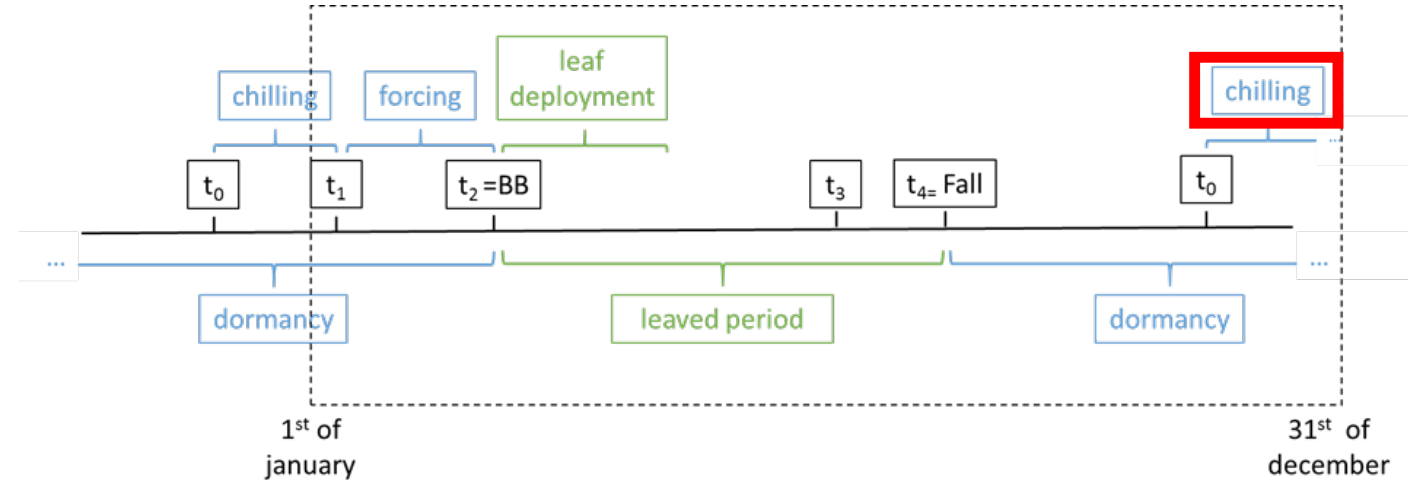
$$\frac{\delta h_m}{\delta z} = \frac{|h_{hr+1}| - |h_{hr}|}{\frac{e_{hr} + e_{hr+1}}{2} \cdot 100}$$

Comparisons between model results and data, however, show that using the minimal conductivity value gives better results than when the conductivity is averaged

Phenological module development



Phenological module development

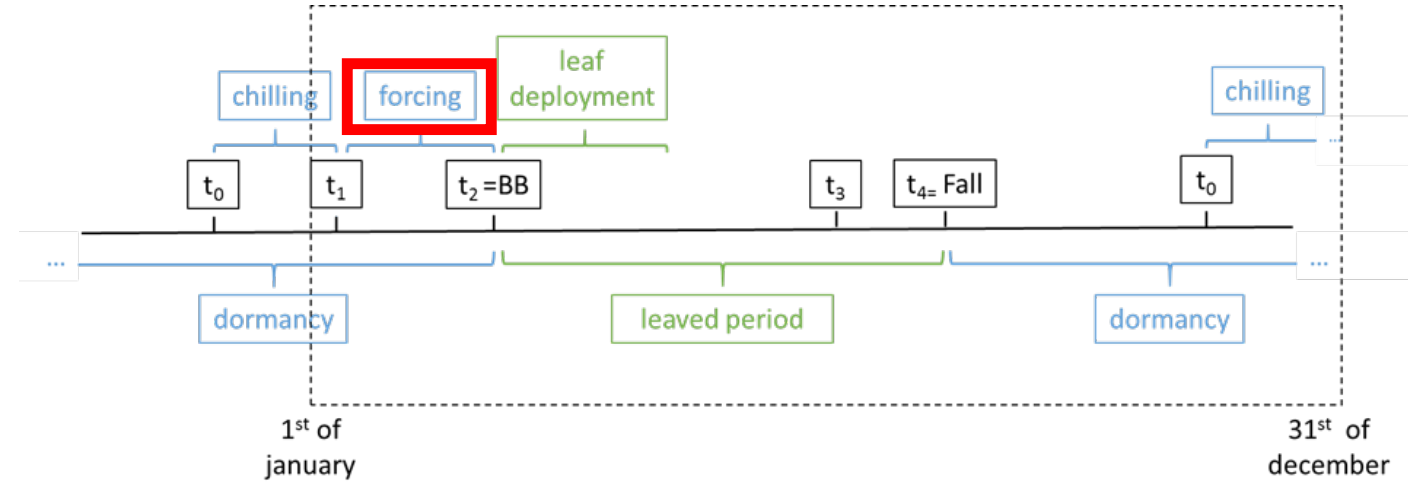


Chilling rate (Chuine, 2009):

$$R_c = \begin{cases} \frac{1}{1+e^{Ca(T-Cc)^2+Cb(T-Cc)}}, & -5 \leq T \leq 10 \\ 0, & T > 10 \text{ or } T < -5 \end{cases}$$

$$S_c = \sum_{t_0}^t R_c(T_t), \quad t = t_1 \text{ if } S_c > C^*$$

Phenological module development

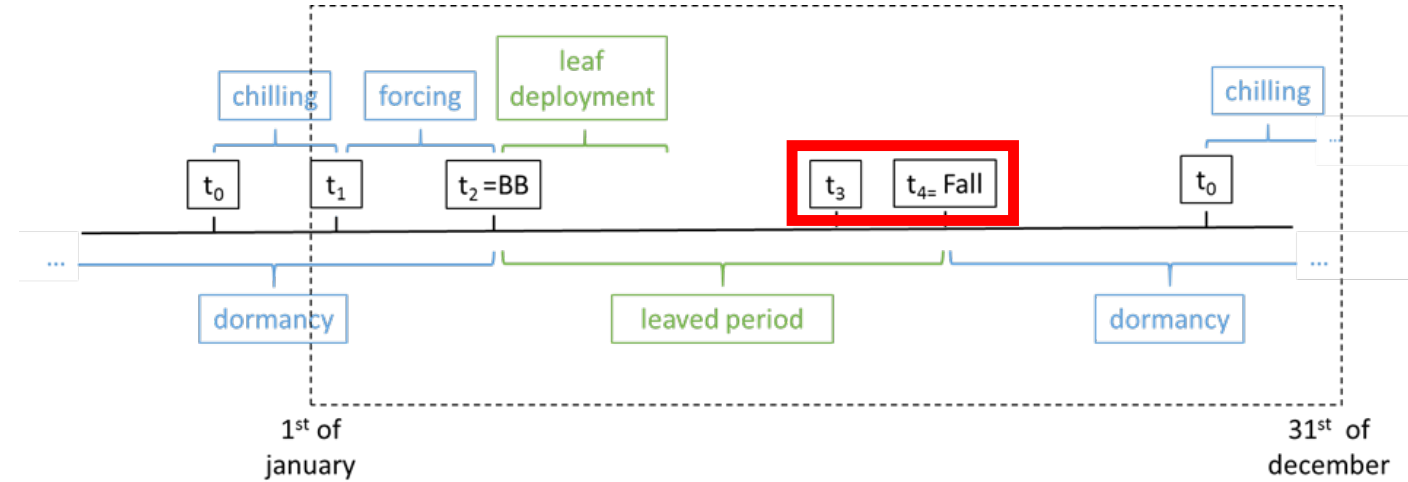


Forcing rate (Chuine, 2009):

$$R_f = \begin{cases} \frac{1}{1+e^{Fb(T-Fc)}}, & T > 0 \\ 0, & T \leq 0 \end{cases}$$

$$S_f = \sum_{t_1}^t R_f(T_t), \quad t = BB \text{ if } S_f > F^*$$

Phenological module development



Yellowing rate (Dufrene *et al*, 2005):

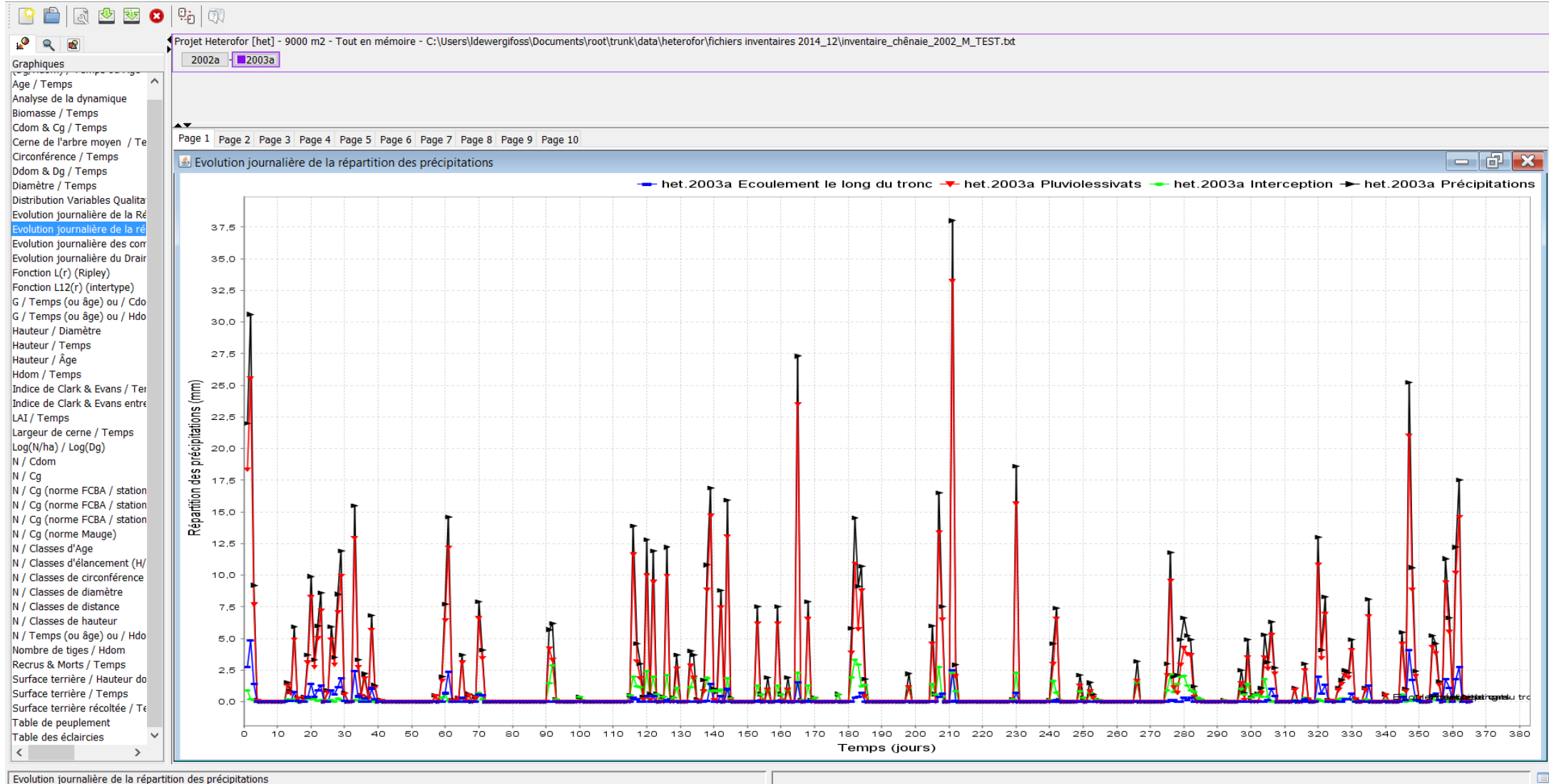
$$R_{yell} = \begin{cases} T_{b_yell} - T, & T < T_{b_yell} \text{ and } t \geq t_3 \\ 0, & T \geq T_{b_yell} \text{ or } t < t_3 \end{cases}$$

$$S_{yell} = \sum_{t_3}^t R_{yell}(T_t), \quad t = Fall \text{ if } S_{yell} > F_{yell}^*$$

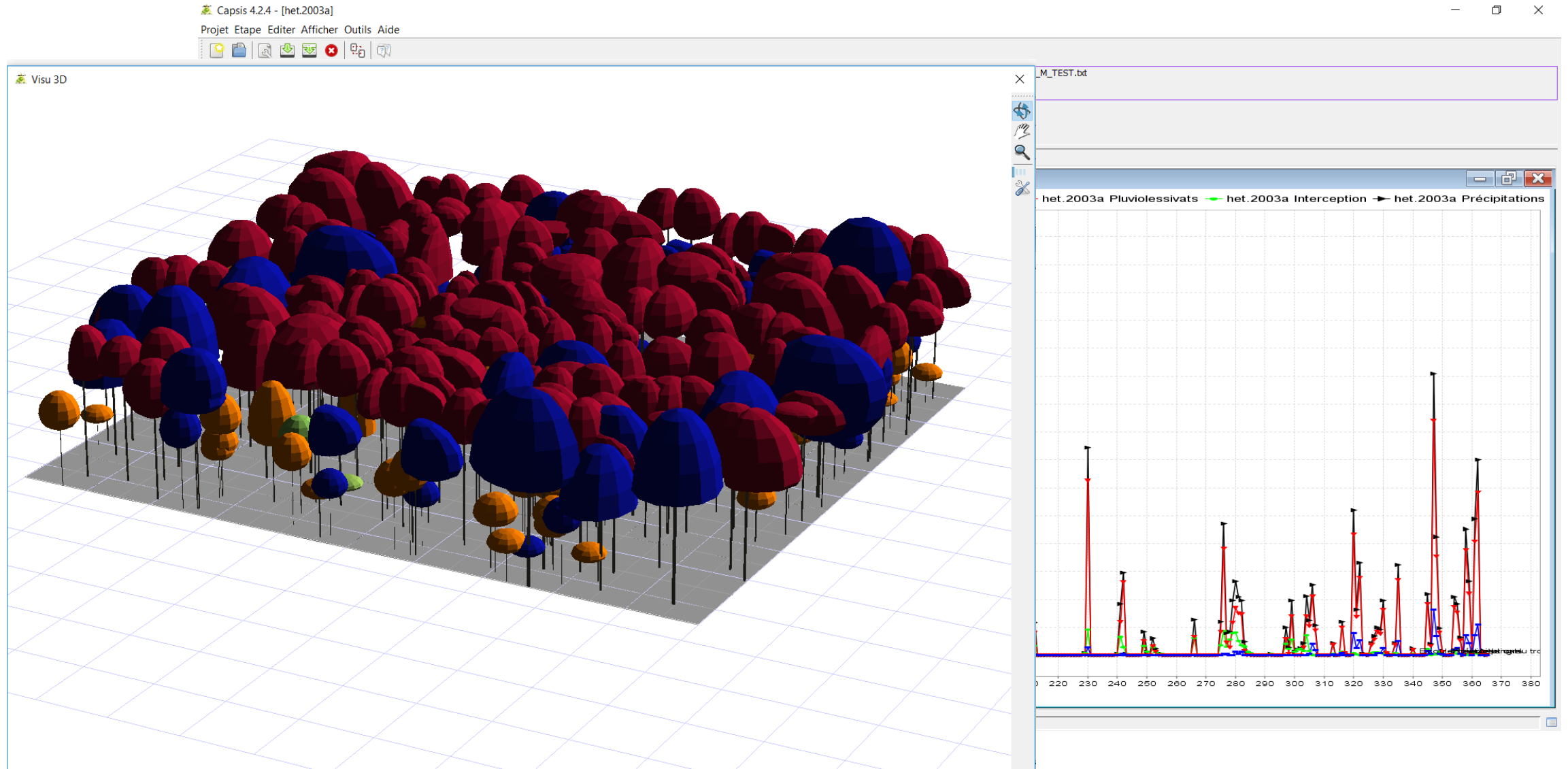
Model outputs

Capsis 4.2.4 - [het.2003a]

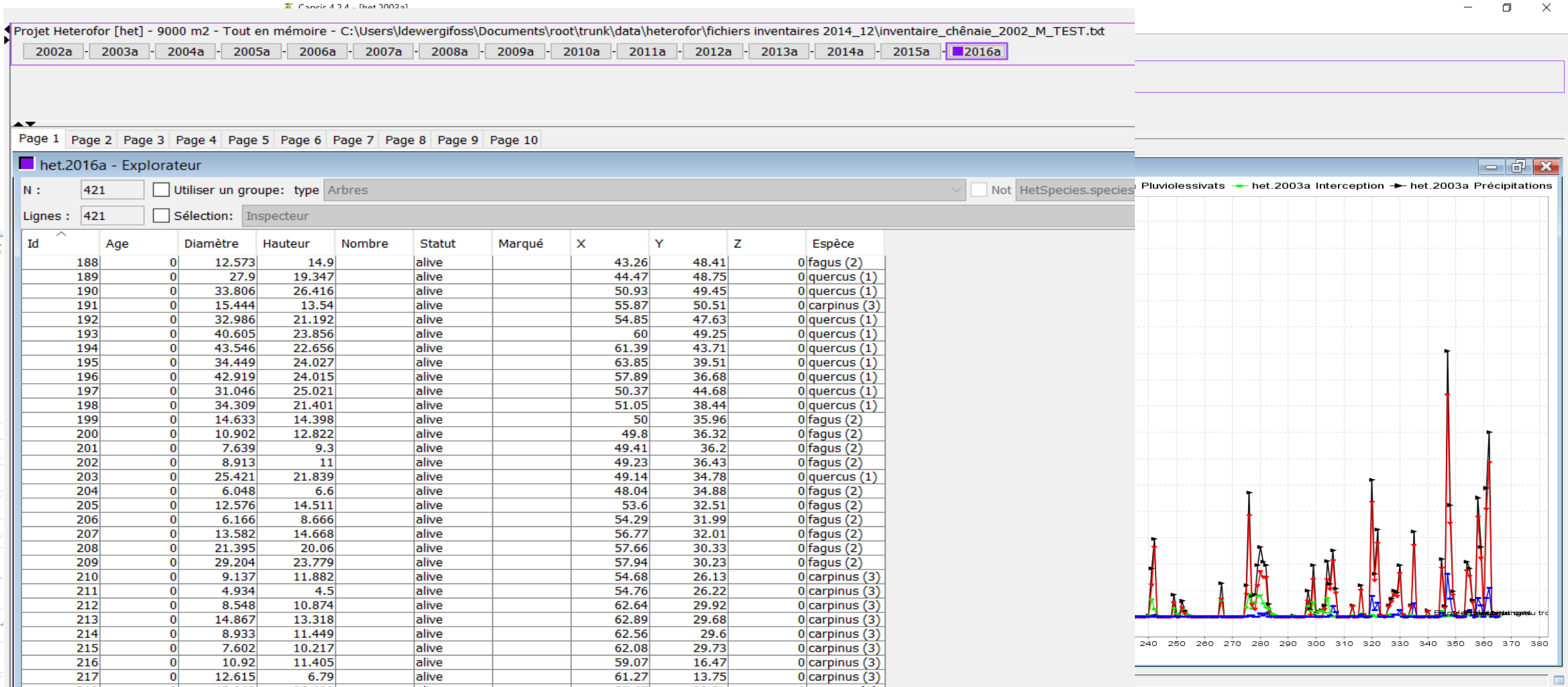
Projet Etape Editer Afficher Outils Aide



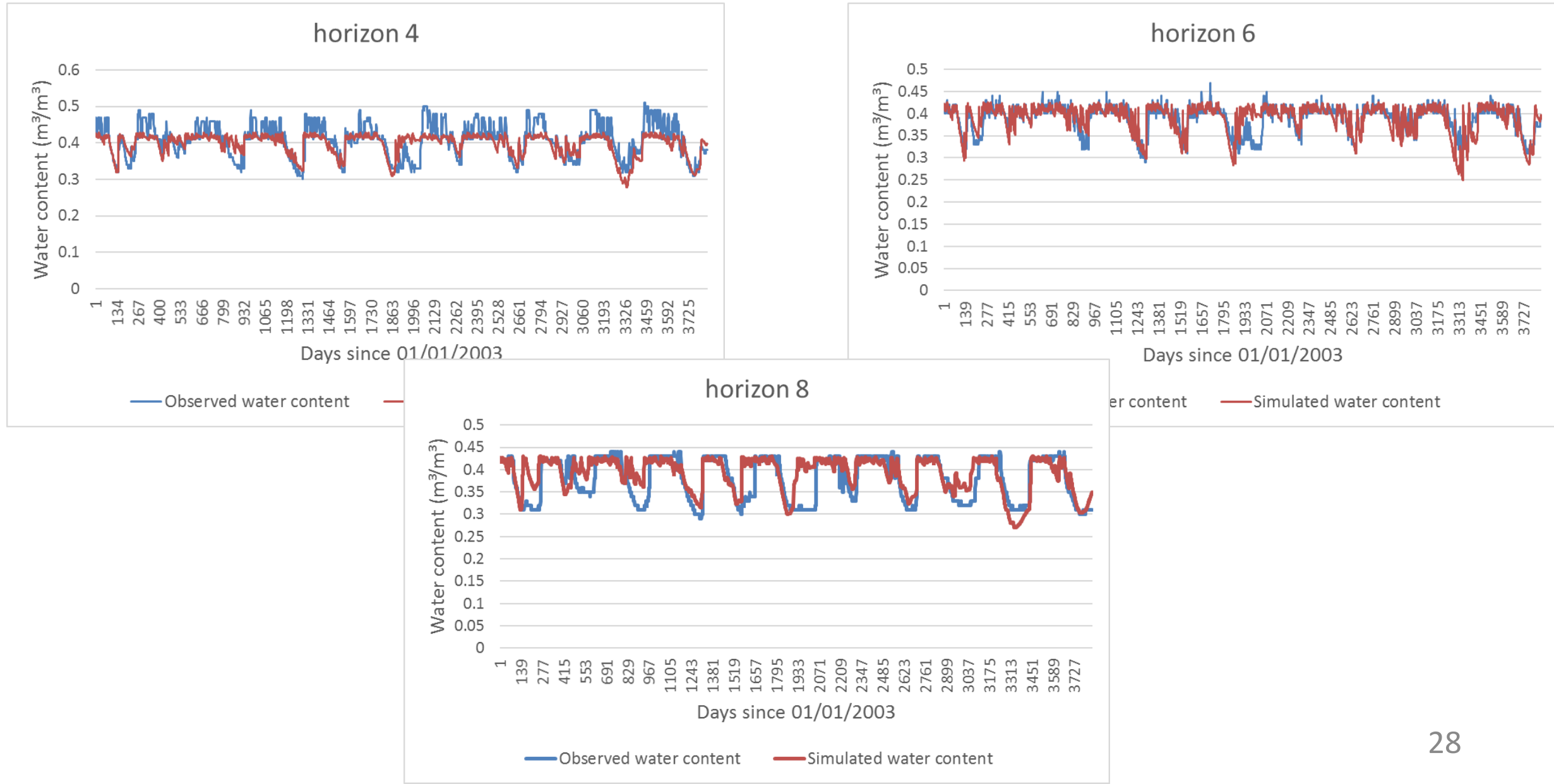
Model outputs



Model outputs



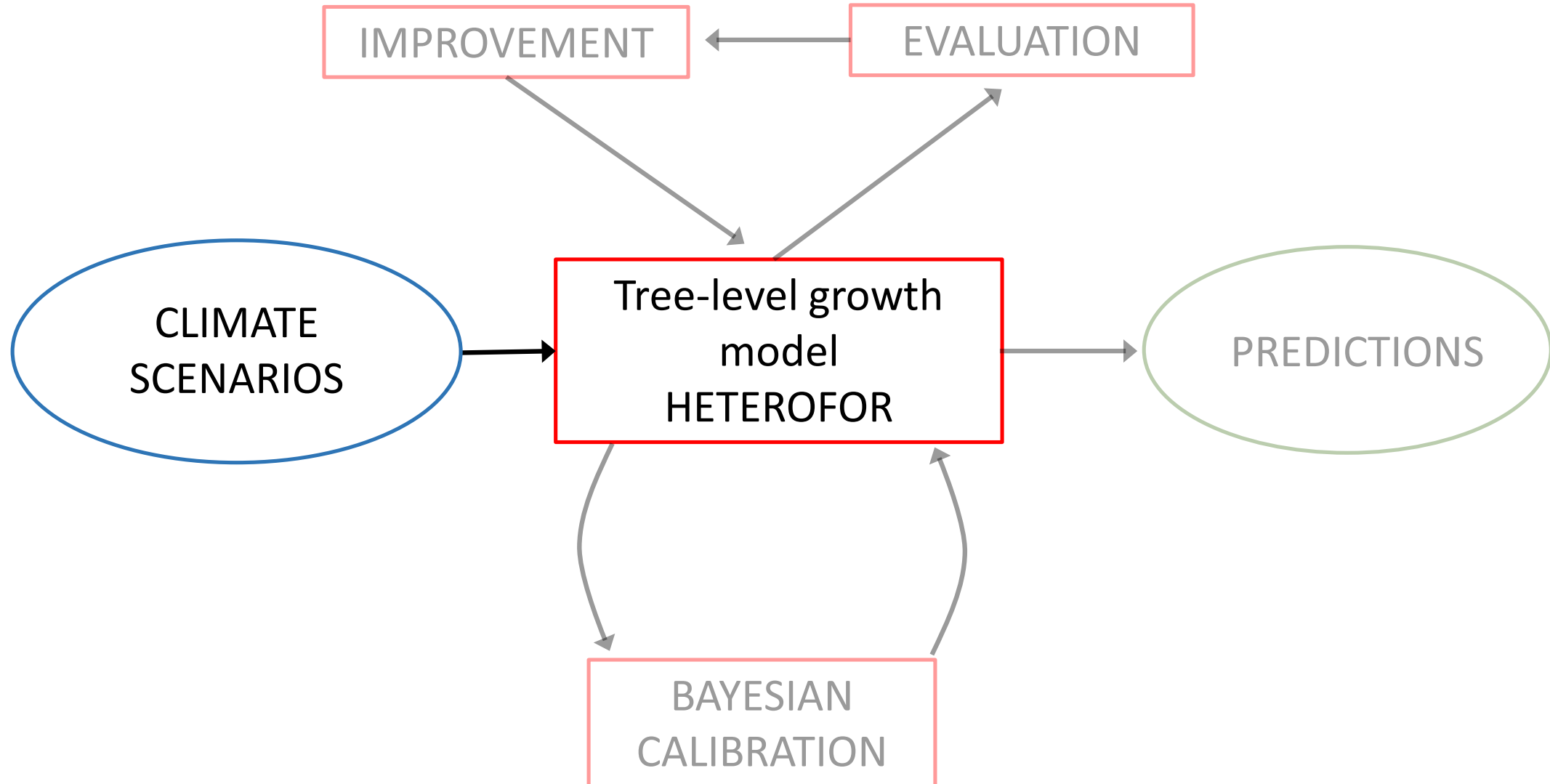
1st year – Module evaluation with data from a reference site



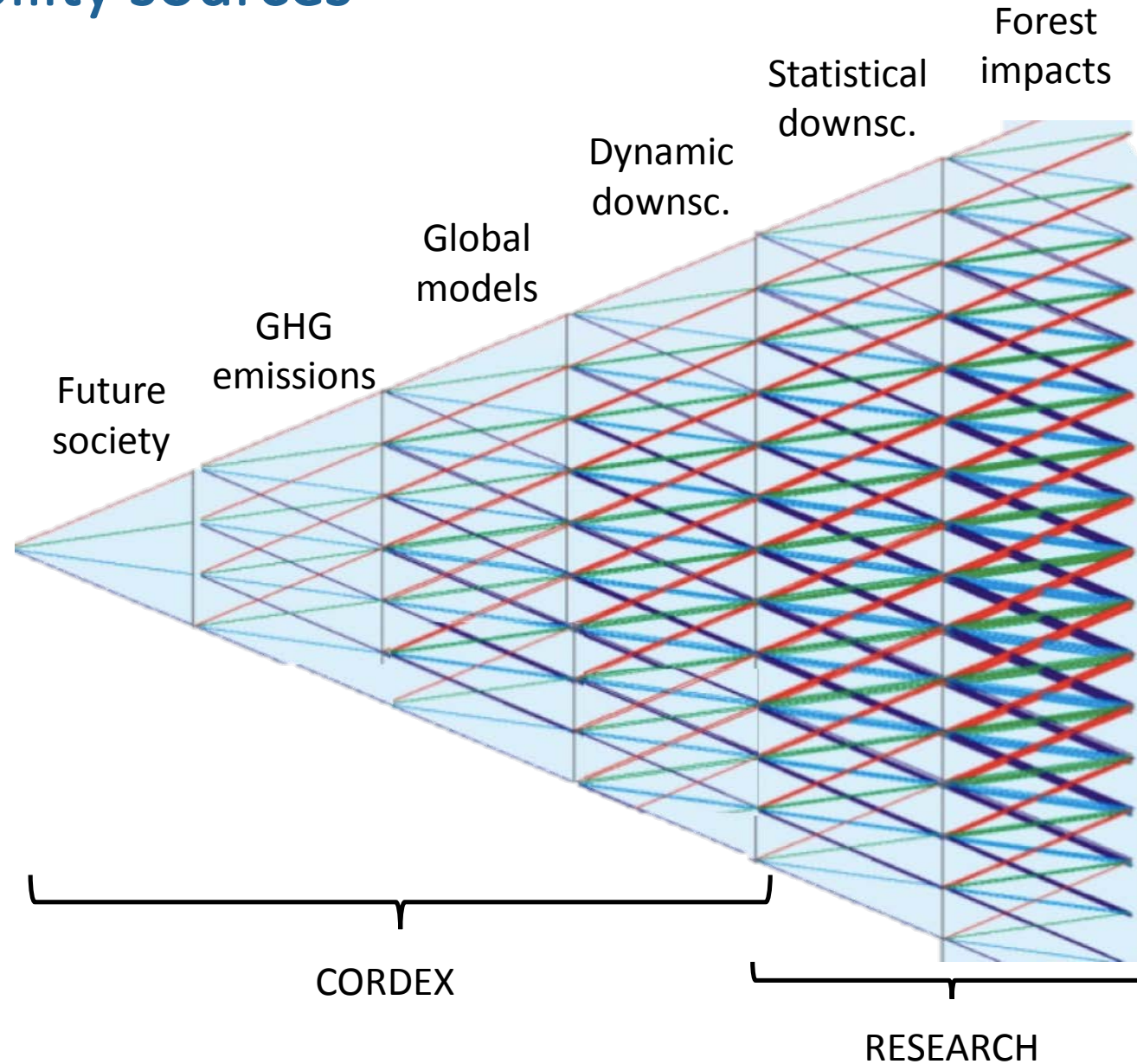
2nd year – Selection of PIC forest sites



3rd year – Climate scenarios constitution and integration of their different variability sources



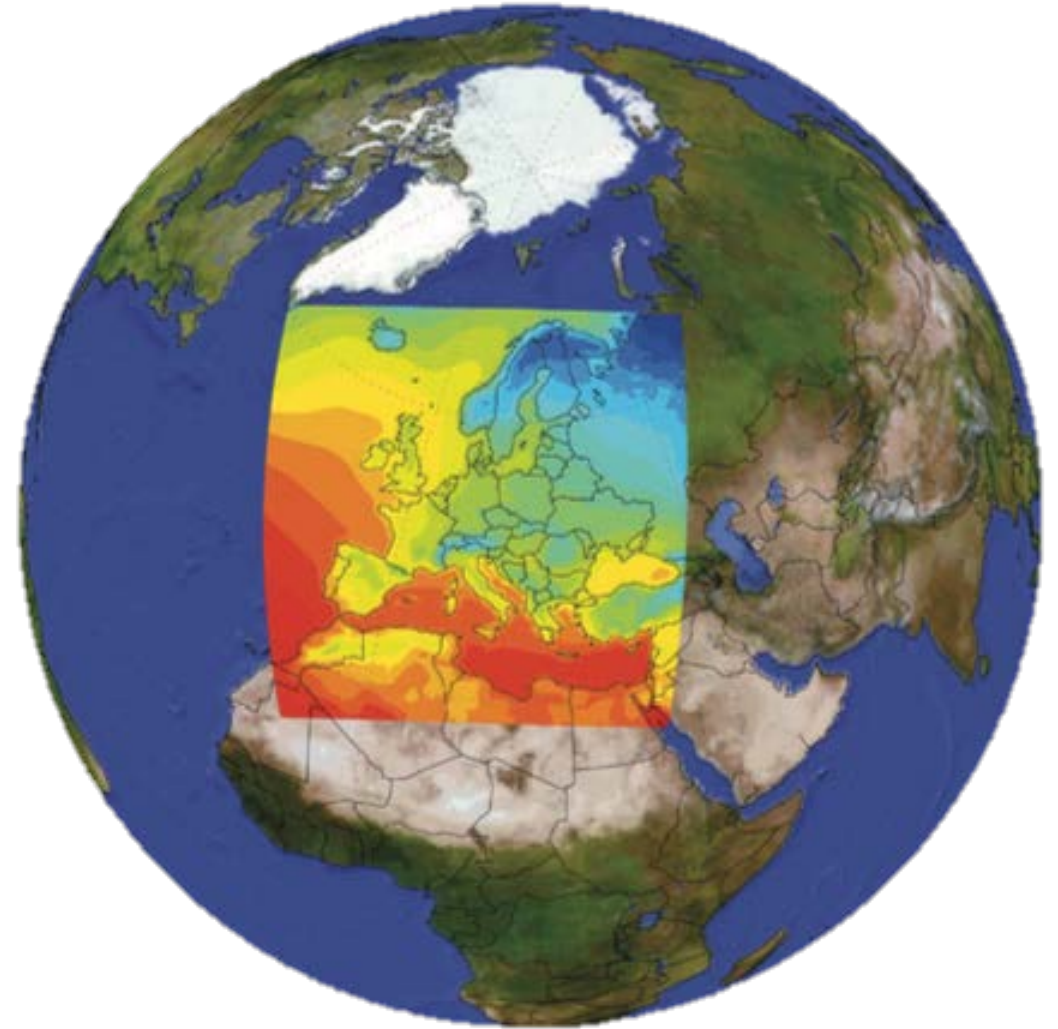
3rd year – Climate scenarios constitution and integration of their different variability sources



Downscaling

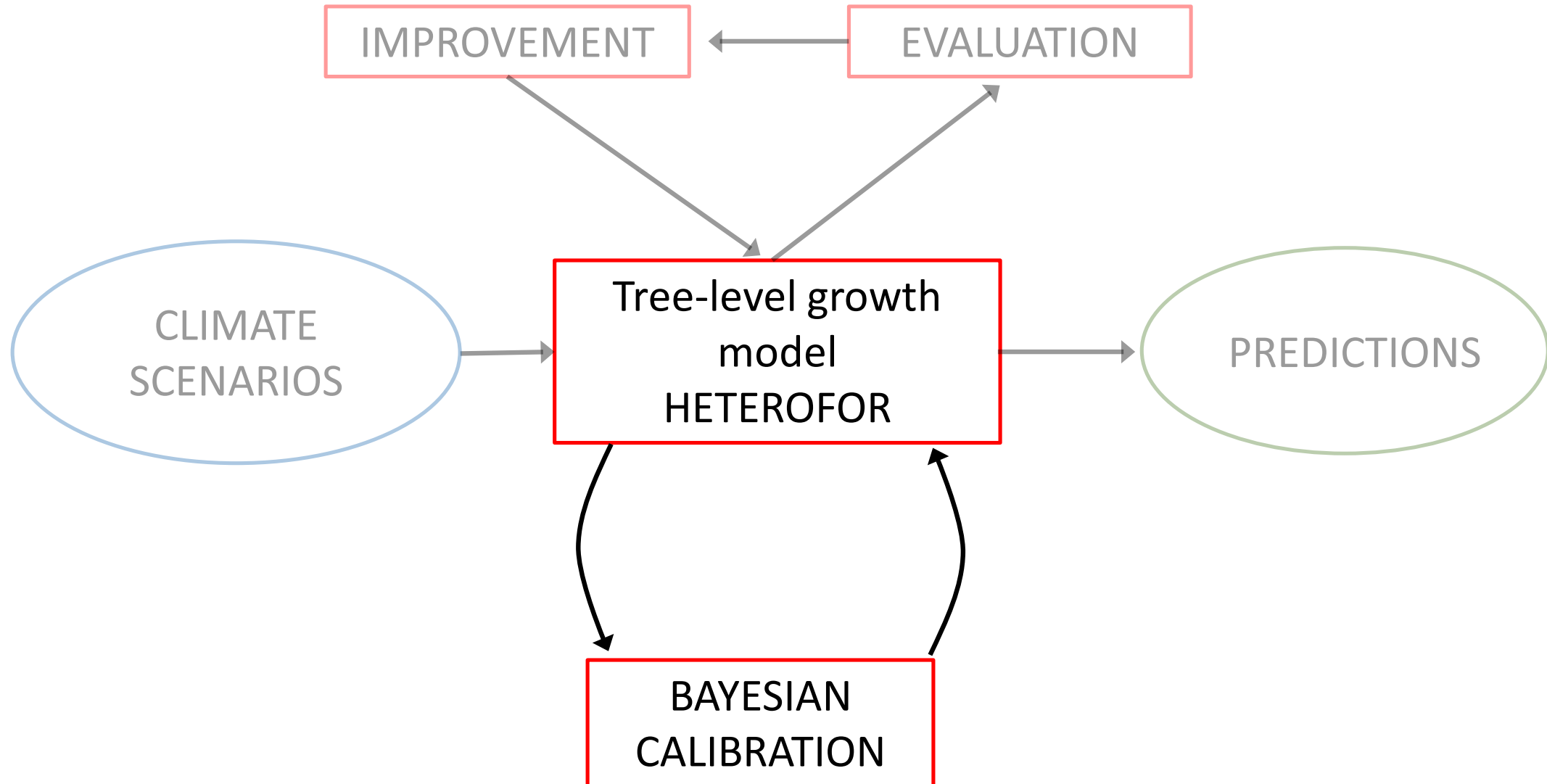
2 types of method:

- Statistical downscaling: Use of statistical correlations between large-scale climate phenomena (values of the atmospheric pressure field) and local climate (monthly averaged temperatures) (Mearns, 2009)
- Dynamic downscaling: Use of climate models working at a finer scale and using global climate model results as boundary conditions

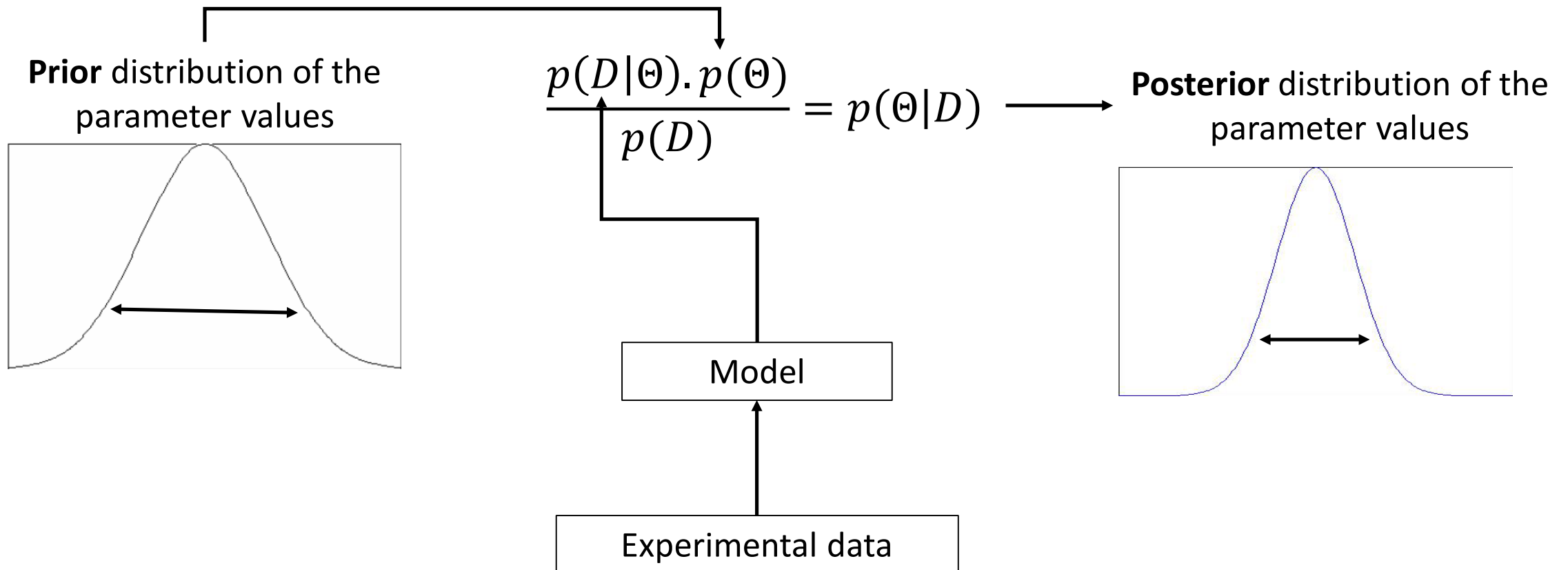


(Hoar et Nychka, 2008)

3-4th years – Inclusion of HETEROFOR uncertainties: bayesian calibration

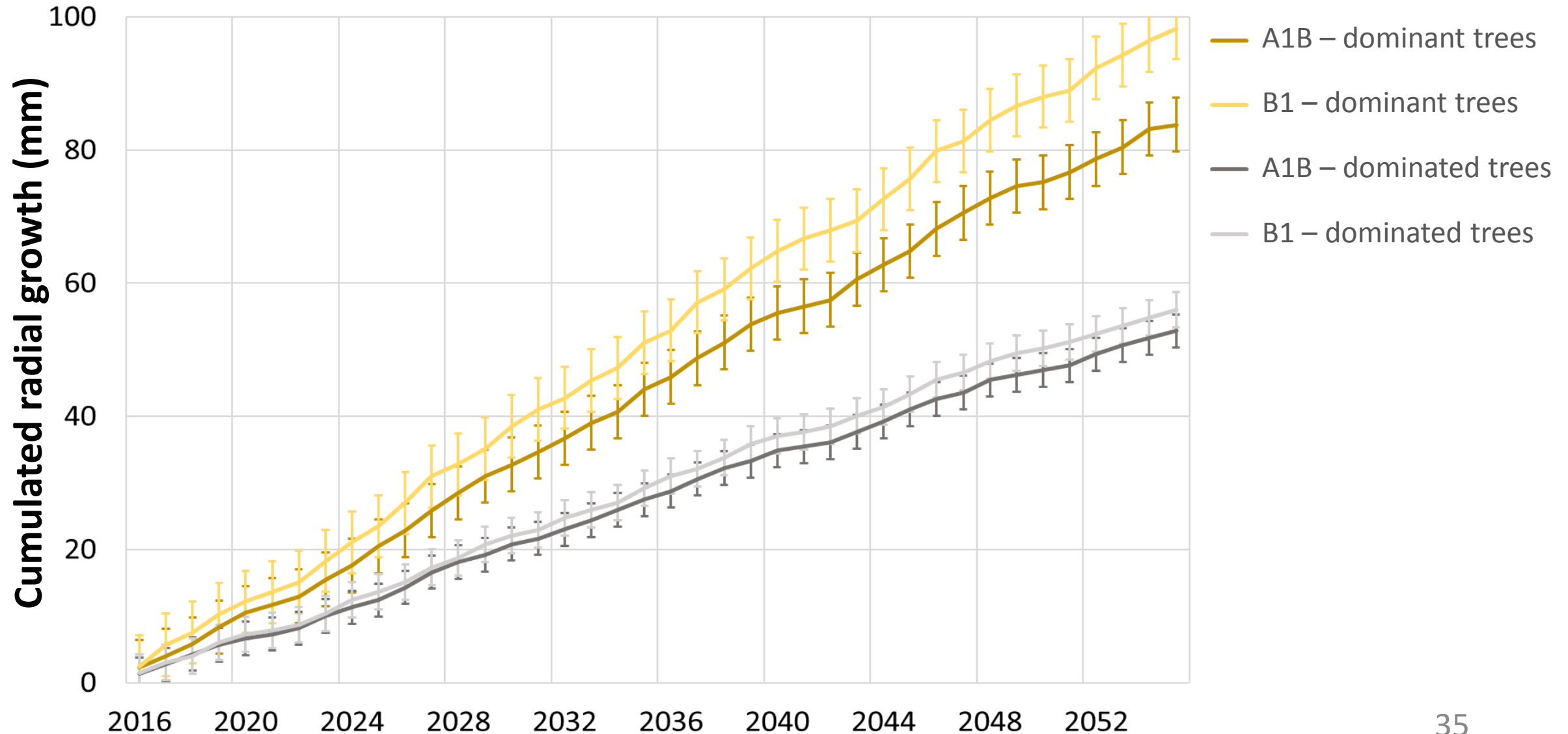


3-4th years – Inclusion of HETEROFOR uncertainties: bayesian calibration

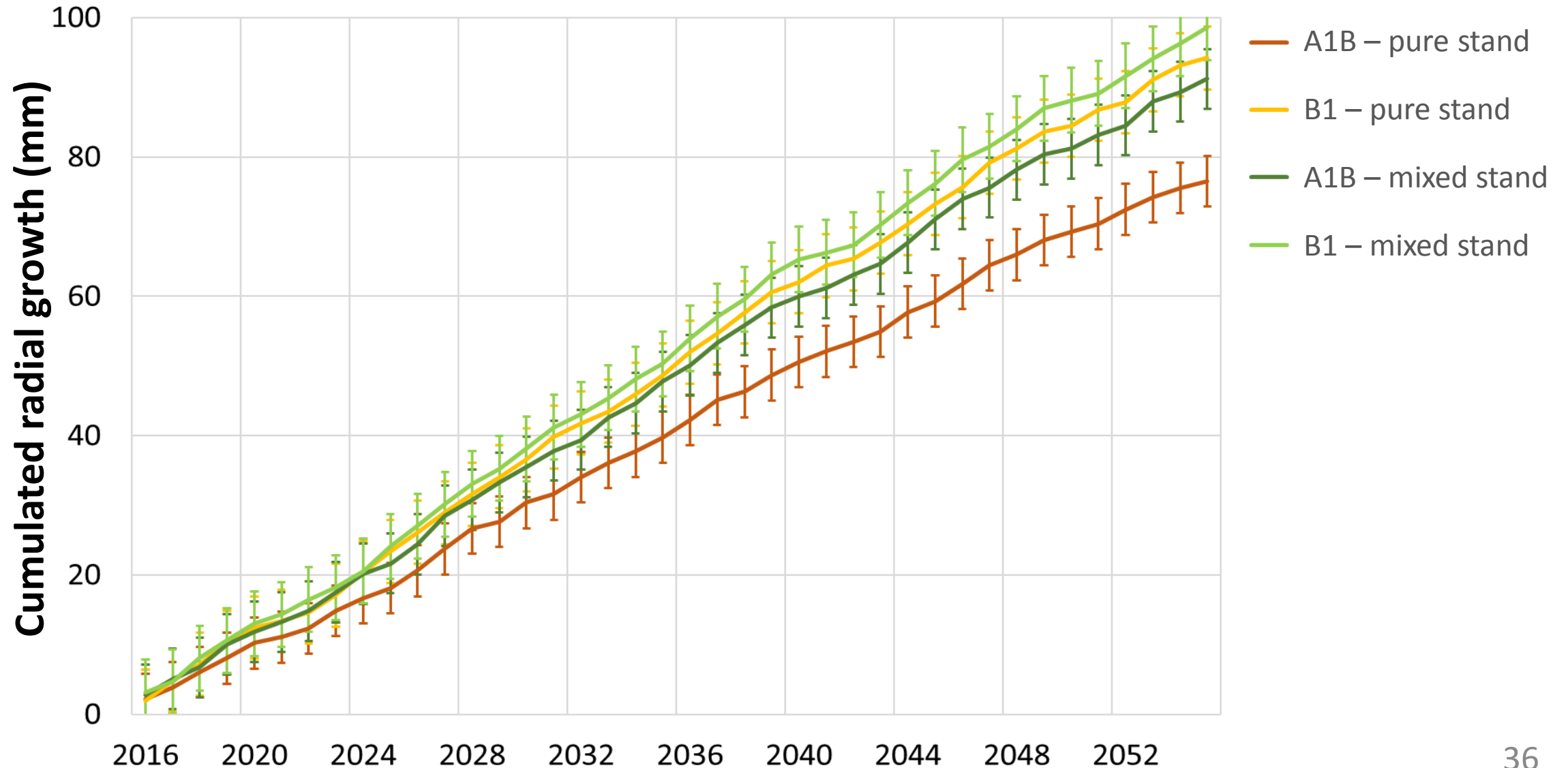


Expected results – Individual growth comparison

climate scenario x social status



Expected results – Individual growth comparison climate scenario x stand type



Practical prospects and perspectives

Tool for helping forestry practice decisions

- Sylvicol itineraries enhancing resilience to tackle cl. change induced risks:
 - Choice of resistant species
 - Stand types...
- Forestry policies & land use plans

Methodology to analyse climate change impacts while characterizing uncertainties :

- Reusable for other issues